

Topics in Business Intelligence

Lecture 2: Data reduction

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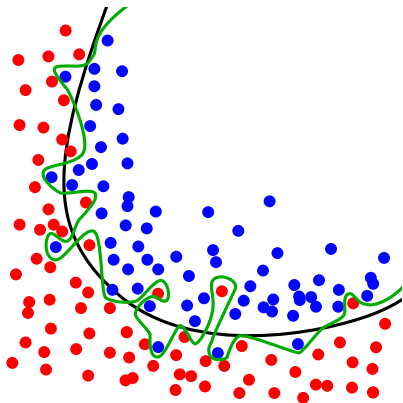
Data mining: preliminary steps

- Data organization
 - Variables in columns, observations in rows
 - In supervised learning, one of the variables should be the response
- Sampling from a database
 - In case of rare events (e.g. customer purchasing a product in response to a mailing), oversample the rare events with or without replacement
- Preprocessing and cleaning the data
- Partitioning the data

- Classify variables as continuous, integer or nominal
 - Possibly convert numerical variables to nominal (most often response, e.g. credit score above a certain level → grant credit)
 - Possibly convert polynomial variables (student, employed, retired) to binomial (student=yes/no, employed=yes/no)
 - Last value of polynomial variables is redundant and **should not** be used when mapping to binomial

Preprocessing and cleaning the data

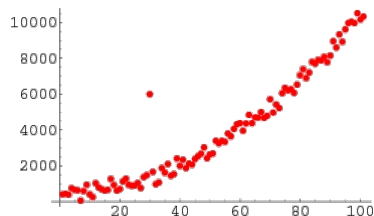
- Select variables (and apply dimension reduction techniques)
 - More variables = greater risk of overfitting



- How many variables and how much data?
- $6 \times \text{nr_outcome_classes} \times \text{nr_variables}$

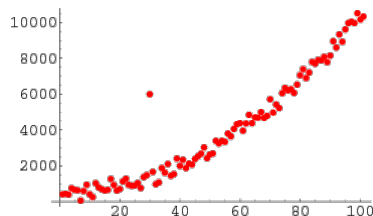
Preprocessing and cleaning the data

- Detect, inspect, and possibly remove **outliers**
 - Outliers can result from an input error or be part of the data



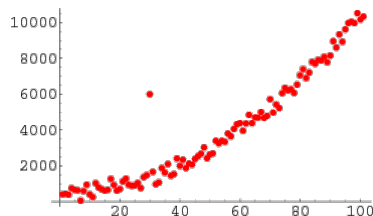
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 - Manual 2-dim outlier detection through scatterplots



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 - Automatic outlier detection through clustering

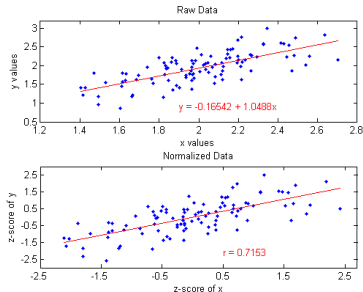


■ Missing values

- If the number of missing values is small, the records can be omitted
- With a large number of variables even small amount of missing values causes a large amount of records to be omitted (e.g. 30 variables, 5% values missing \rightarrow amount of data retained $= 0.95^{30} = 21.5\%$).
- Alternatively input a value, e.g. mean (loses variance which is not a problem as we use a separate test dataset)

Preprocessing and cleaning the data

- Normalize data
 - Some algorithms require normalized data
 - Subtract mean and divide by the standard deviation
→ z-score, “number of standard deviations away from the mean”

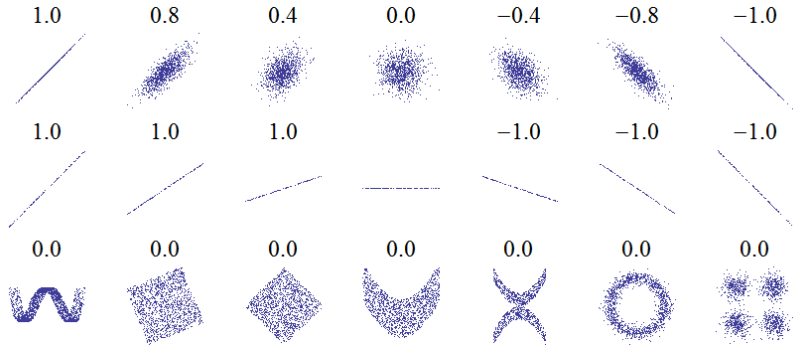


Dimensionality reduction

- Prerequisite for dimensionality reduction is understanding the data, using e.g. data summaries (min, max, avg, mean, median, stdev) and visualization
- Domain knowledge should always be applied first before the dimension reduction techniques to remove predictors known to be unapplicable (e.g. height for predicting client income)
- Correlation analysis, principal component analysis, and binning

- With many variables there is usually overlap in the covered information.
- A simple technique for finding redundancies is to look at the **correlation coefficients** in a **correlation matrix**.
- Pairs that have a very strong positive or negative correlation contain a lot of overlap and are subject to removal

Correlation coefficients



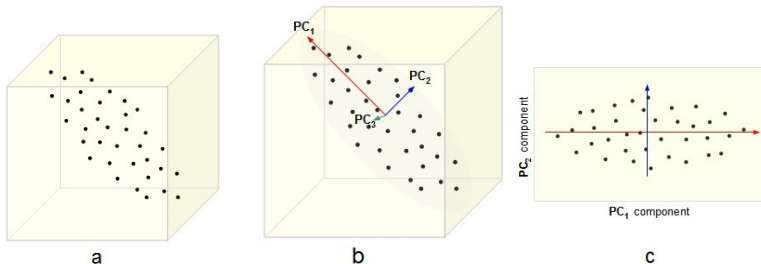
Correlation matrix

Correlations	TIMELR	MEDTOR	AVGDON	LSTDON	ANNDON
TIMELR	1.00				
MEDTOR	-0.11	1.00			
AVGDON	-0.36	0.03	1.00		
LSTDON	-0.04	0.09	0.69	1.00	
ANNDON	-0.28	0.01	0.87	0.63	1.00

Principal Component Analysis (PCA)

- Reduces the number of predictors by finding the weighted linear combinations of predictors that retain most of the variance in the data set
- These are called **principal components**
- PCA works only with continuous variables

PCA example



- The principal components are weighted averages of original variables after subtracting their means

Example principal components

	ξ_1	ξ_2	ξ_3	ξ_4	ξ_5
TIMELR	0.99	0.09	0.06	-0.01	0.00
MEDTOR	-0.19	0.98	-0.01	-0.01	0.00
AVGDON	-0.37	-0.03	0.84	-0.13	0.36
LSTDON	-0.11	0.08	0.79	0.60	-0.02
ANNDON	-0.37	-0.05	0.89	-0.23	-0.07
Percent of Trace:	0.60	0.27	0.11	0.02	0.00

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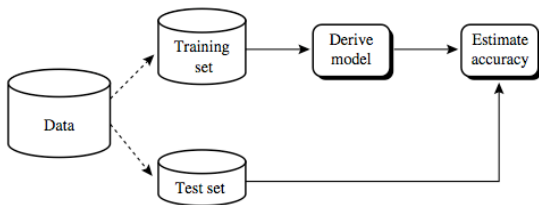
Fail, because: data not normalized

- If variables have different scales [min, max], these get reflected in principal components (e.g. MEDTOR [0, 209] and ANNDON [0.19, 759.80])
- If the scales don't reflect importance of the indicator by being commensurable, e.g. sales of jet fuel, sales of heating oil, you should normalize before applying PCA
- Normalization to unit deviation is achieved by dividing each variable by its standard deviation (z-score)

- Reduce number of variables, use the PCs as predictors in the model. For test set, apply weights from training set to variables to obtain validation “PCs”
- Produce uncorrelated variables (correlation coefficient = 0)
- Describe data

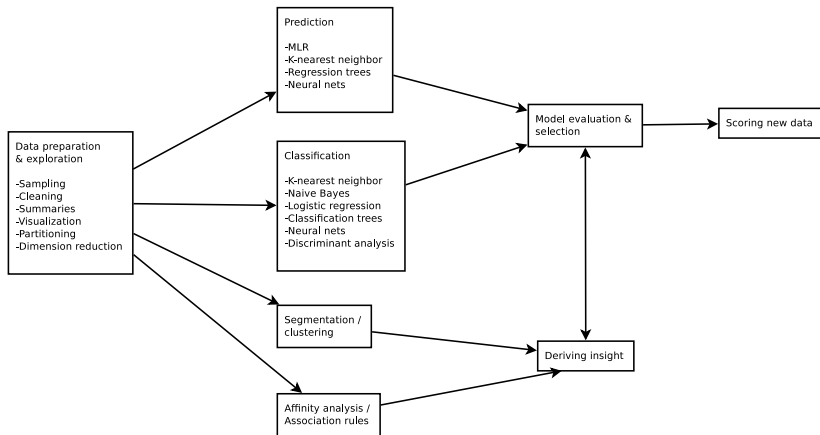
Partition data (if applying supervised learning)

- The derived model can contain bias due to training data matching the model by chance
- The model should always be evaluated/tuned with a separate test set



- Sometimes also a third partition, validation set, is used

Data mining process



Case study data

TIMELR	TIME since Last Response (nr weeks)
TIMECL	TIME as CLient (nr years)
FRQRES	FReQuency of RESponse (to mailings)
MEDTOR	MEDian of Time Of Response
AVGDON	AVerAGe DONation (per responded mailing)
LSTDON	LaST DONation
ANNDON	Average ANNual DONation
DONIND	Donation indicator in the considered mailing (response)

Groups and topics

Group	Topic	Week
Yiwei et al	k-NN and Naive Bayes'	4
Stamenova et al	Classification trees	5
Zaghainov et al	Neural nets	6
Merkle et al	Logistic regression	7

- Load training set data into rapid miner
- Perform correlation analysis, decide on which variables to keep
- Make sure you can train your model in rapidminer
- Start reading about your method